

```

C*****
C   ANISOTROPIC NETWORK MODEL (ANM) PROGRAM
C*****
C   VERSION 3 11/16/04
C   WRITTEN AND ARRANGED BY TANER Z SEN
C   THE MATERIAL AND ASSISTANCE PROVIDED BY
C   ROBERT L. JERNIGAN, ANDRZEJ KLOCZKOWSKI
C   IVET BAHAR, ALPAY TEMIZ
C
C*****
C   VARIABLES
C*****

C   NR: NUMBER OF RESIDUES
C   CUTOFF: CUT-OFF RADIUS
C   EIGENCUT: CUT-OFF TO DECIDE ZERO EIGENVALUE(S)

PARAMETER (NR=104,GAMMA=1.0)
REAL X(NR),Y(NR),Z(NR)
CHARACTER CNAM(NR)*3
REAL BETA(NR),HBETA(NR)
REAL HESS(NR*3,NR*3)
REAL INVHESS(NR*3,NR*3)
REAL W(NR*3),V(NR*3,NR*3)
DIMENSION INDX(NR*3)
REAL INVCONT(NR,NR)
INTEGER RESNUM,RES3,ANUM(NR),RNUM(NR)
INTEGER CUTOFFSQ,CUTOFF,NUMZERO,STARTMOD,ENDMOD
REAL BX,BY,BZ,DIS2,EIGENCUT
REAL FLUCX2(NR),FLUCY2(NR),FLUCZ2(NR)
REAL FLUCX(NR),FLUCY(NR),FLUCZ(NR)
REAL FX2N(NR),FY2N(NR),FZ2N(NR)
CHARACTER*4 ATNAME,ANAME(NR)
CHARACTER*1 A1,CHA(NR)
REAL MEANB,MEANF,CORR,CORRF2,CORRB2

C   DUMMIES

INTEGER DINT,DINT2,ICA
REAL DIFXX,DIFYY,DIFFZZ,DIST,DSUM,DSUM1,DSUM2,IDUM
CHARACTER DUMMY6*6,DUMMY3*3

C*****
C   PARAMETERS
C*****

RESNUM=NR
RES3=NR*3

C   This is the only parameter we are using:
C   radius threshold to decide if two residues/nucleotides are
C   connected
CUTOFF=13
CUTOFFSQ=CUTOFF*CUTOFF
EIGENCUT=1E-5

C*****
C   FILES
C*****

```

```

C      THIS IS THE ONLY INPUT FILE
C      this file can be obtained from Brookhaven Protein Data Bank
C      http://www.rcsb.org/pdb
      OPEN(50,FILE='lhrc.pdb')

      OPEN(60,FILE='centers.txt')
      OPEN(61,FILE='beta.txt')
      OPEN(62,FILE='flucxyz.txt')
      OPEN(66,FILE='eigenvalues.txt')

C*****
C      READ ALPHA CARBONS COORDINATES, AND B-FACTORS
C*****

310    READ(50,'(A6)') DUMMY6
      IF(DUMMY6.NE.'ATOM  ') GOTO 310
      BACKSPACE(50)

      ICA=1
320    READ(50,'(A6)') DUMMY6
      IF(DUMMY6.NE.'ATOM  ') THEN
        IF(DUMMY6.EQ.'END  ') THEN
          GOTO 330
        ELSE
          GOTO 320
        ENDIF
      ENDIF
      BACKSPACE(50)
      READ(50,55) DUMMY6,D1INT,ATNAME,DUMMY3,A1,D2INT,XXX,YYY,ZZZ,R1,BBB

      IF(ATNAME.EQ.' CA  ') THEN
        ANUM(ICA)=D1INT
        ANAME(ICA)=ATNAME
        CNAM(ICA)=DUMMY3
        CHA(ICA)=A1
        RNUM(ICA)=D2INT
        X(ICA)=XXX
        Y(ICA)=YYY
        Z(ICA)=ZZZ
        BETA(ICA)=BBB
        ICA=ICA+1
      ENDIF
      GOTO 320

55     FORMAT(A6,I5,1X,A4,1X,A3,1X,A1,I4,4X,3F8.3,2F6.2)

330    IF(RESNUM.NE.(ICA-1)) THEN
      WRITE(*,*) 'THERE IS A PROBLEM WITH THE NUMBER OF RESIDUES!'
      WRITE(*,*) 'GIVEN RESNUM=',RESNUM,'CALCULATED RESNUM=',ICA-1
      GOTO 666
    ENDIF

      DO 10 I=1,RESNUM
10     WRITE(60,200) I,X(I),Y(I),Z(I),BETA(I)

200    FORMAT(I3,3F8.3,F7.3)

C*****

```

```

C      INITIALIZATION OF HESSIAN MATRIX
C*****

      DO 20 I=1,RES3
      DO 20 J=1,RES3
20      HESS(I,J)=0.

C*****
C      CREATION OF HESSIAN MATRIX
C*****

      DO J=1,RESNUM
      DO K=1,RESNUM
      BX=X(J)-X(K)
      BY=Y(J)-Y(K)
      BZ=Z(J)-Z(K)
      DIS2=BX*BX+BY*BY+BZ*BZ

      IF(J.NE.K.AND.DIS2.LE.CUTOFFSQ) THEN
C      FIRST: CREATION OF Hii
      HESS(3*J-2,3*J-2)=HESS(3*J-2,3*J-2)+GAMMA*BX*BX/DIS2
      HESS(3*J-1,3*J-1)=HESS(3*J-1,3*J-1)+GAMMA*BY*BY/DIS2
      HESS(3*J,3*J)=HESS(3*J,3*J)          +GAMMA*BZ*BZ/DIS2

      HESS(3*J-2,3*J-1)=HESS(3*J-2,3*J-1)+GAMMA*BX*BY/DIS2
      HESS(3*J-2,3*J)=HESS(3*J-2,3*J)    +GAMMA*BX*BZ/DIS2
      HESS(3*J-1,3*J-2)=HESS(3*J-1,3*J-2)+GAMMA*BY*BX/DIS2
      HESS(3*J-1,3*J)=HESS(3*J-1,3*J)    +GAMMA*BY*BZ/DIS2
      HESS(3*J,3*J-2)=HESS(3*J,3*J-2)    +GAMMA*BX*BZ/DIS2
      HESS(3*J,3*J-1)=HESS(3*J,3*J-1)    +GAMMA*BY*BZ/DIS2

C      SECOND: CREATION OF Hij
      HESS(3*J-2,3*K-2)=      -GAMMA*BX*BX/DIS2
      HESS(3*J-1,3*K-1)=      -GAMMA*BY*BY/DIS2
      HESS(3*J,3*K)=          -GAMMA*BZ*BZ/DIS2

      HESS(3*J-2,3*K-1)=      -GAMMA*BX*BY/DIS2
      HESS(3*J-2,3*K)=        -GAMMA*BX*BZ/DIS2
      HESS(3*J-1,3*K-2)=      -GAMMA*BY*BX/DIS2
      HESS(3*J-1,3*K)=        -GAMMA*BY*BZ/DIS2
      HESS(3*J,3*K-2)=        -GAMMA*BX*BZ/DIS2
      HESS(3*J,3*K-1)=        -GAMMA*BY*BZ/DIS2
      ENDIF
      ENDDO
      ENDDO
C*****
C      SINGULAR VALUE DECOMPOSITION TO GET RID OF ZERO EIGENVALUES
C*****

      CALL SVDCMP(HESS,RES3,RES3,RES3,RES3,W,V)

C*****
C      PUTTING THE EIGENVALUES IN ASCENDING ORDER
C*****

      CALL INDEXX(RES3,W,INDX)

      DO 700 I=1,RES3
      WRITE(66,*) I,W(INDX(I))
700     CONTINUE

```

```

C*****
C   SAVING THE EIGENVECTORS
C*****

      NEIG=RES3
      LN=RES3

      OPEN(44,FILE='eigenvectors.TXT')
      WRITE(44,*) NEIG,LN
      DO I=1,NEIG
      WRITE(44,*) W(INDX(I))
      ENDDO
C   THE FIRST SET OF DATA IS: J=1 AND THEN I=1,LN (V(1,1) V(2,1) etc.
      WRITE(44,*) ((V(I,INDX(j)), I=1,LN),J=1,NEIG)

C*****
C   CALCULATING ZERO EIGENVALUES
C*****

      NUMZERO=0
      DO K=1,RES3
      IF(W(K).LE.EIGENCUT) THEN
      NUMZERO=NUMZERO+1
      ENDIF
      ENDDO

C   NUMZERO should be equal to 6 due the our connectivity definition
      WRITE(*,*) 'ZERO EIGENVALUES=',NUMZERO

C*****
C   CALCULATING INVERSE CONNECTIVITY  INVCONT
C*****

      DO I=1,RES3
      DO J=1,RES3
      INVHESS(I,J)=0.
      DO K=1,RES3
      IF(W(K).GT.EIGENCUT) THEN
      INVHESS(I,J)=INVHESS(I,J)+V(I,K)*V(J,K)/W(K)
      ENDIF
      ENDDO
      ENDDO
      ENDDO

      JJJ=0
      DO I=1,RES3
      IF(INVHESS(I,I).LT.0) JJJ=JJJ+1
      ENDDO
      WRITE(*,*) 'NEGATIVE ELEMENTS IN THE DIAGONAL:',JJJ

C*****
C   CALCULATION OF MEAN-SQUARE FLUCTUATIONS
C*****

      DO I=1,RESNUM
      FLUCX2(I)=INVHESS((I-1)*3+1,(I-1)*3+1)
      FLUCY2(I)=INVHESS((I-1)*3+2,(I-1)*3+2)

```

```

FLUCZ2(I)=INVHESS((I-1)*3+3,(I-1)*3+3)
HBETA(I)=FLUCX2(I)+FLUCY2(I)+FLUCZ2(I)
ENDDO

```

```

C*****
C  NORMALIZATION
C*****

```

```

DSUM1=0.
DSUM2=0.
DO 65 I=1,RESNUM
  DSUM1=DSUM1+HBETA(I)
  DSUM2=DSUM2+BETA(I)
65  CONTINUE

WRITE(*,*) 'DSUM1=',DSUM1,'DSUM2=',DSUM2

```

```

MEANB=0.
MEANF=0.
DO 70 I=1,RESNUM
  HBETA(I)=HBETA(I)*DSUM2/DSUM1
  FLUCX2(I)=FLUCX2(I)*DSUM2/DSUM1
  FLUCY2(I)=FLUCY2(I)*DSUM2/DSUM1
  FLUCZ2(I)=FLUCZ2(I)*DSUM2/DSUM1

```

```

C  NORMALIZATION OF FLUCTUATIONS

```

```

FX2N(I)=FLUCX2(I)-HBETA(I)/3
FY2N(I)=FLUCY2(I)-HBETA(I)/3
FZ2N(I)=FLUCZ2(I)-HBETA(I)/3

WRITE(62,220) I,FLUCX2(I),FLUCY2(I)
+           ,FLUCZ2(I),I,FX2N(I),FY2N(I),FZ2N(I)

```

```

C  COMPARING MEAN-SQUARE FLUCTUATIONS WITH B-FACTORS

```

```

WRITE(61,210) I,HBETA(I),BETA(I)
MEANF=MEANF+HBETA(I)
MEANB=MEANB+BETA(I)

```

```

70  CONTINUE

```

```

MEANF=MEANF/RESNUM
MEANB=MEANB/RESNUM

```

```

210  FORMAT(I3,2F7.2)
220  FORMAT(I3,1X,3F7.2,1X,I3,1X,3F7.2)

```

```

C  CALCULATING THE CORRELATIONS

```

```

CORR=0.
CORRF2=0.
CORRB2=0.
DO I=1,RESNUM
  CORR=CORR+(HBETA(I)-MEANF)*(BETA(I)-MEANB)
  CORRF2=CORRF2+(HBETA(I)-MEANF)*(HBETA(I)-MEANF)
  CORRB2=CORRB2+(BETA(I)-MEANB)*(BETA(I)-MEANB)
ENDDO

```

```

CORR=CORR/SQRT(CORRF2*CORRB2)
WRITE(*,*) 'Correlation: ',CORR

WRITE(*,*) 'Program finished successfully!'

666  STOP
      END

C*****
C    ALL OF THE FOLLOWING FUNCTIONS ARE TAKEN FROM
C    PRESS, W.H. ET AL. "NUMERICAL RECIPES IN FORTRAN 77",
C    CAMBRIDGE UNIVERSITY PRESS, 2001
C*****
C
C    SINGULAR VALUE DECOMPOSITION
C
C*****

SUBROUTINE SVDCMP(a,m,n,mp,np,w,v)
INTEGER m,mp,n,np,NMAX
REAL a(mp,np),v(np,np),w(np)
PARAMETER (NMAX=70000)
C    USES pythag
INTEGER i,its,j,jj,k,l,nm
REAL anorm,c,f,g,h,s,scale,x,y,z,rv1(NMAX),pythag
g=0.0
scale=0.0
anorm=0.0
do 25 i=1,n
  l=i+1
  rv1(i)=scale*g
  g=0.0
  s=0.0
  scale=0.0
  if(i.le.m)then
    do 11 k=i,m
      scale=scale+abs(a(k,i))
11    continue
    if(scale.ne.0.0)then
      do 12 k=i,m
        a(k,i)=a(k,i)/scale
        s=s+a(k,i)*a(k,i)
12    continue
      f=a(i,i)
      g=-sign(sqrt(s),f)
      h=f*g-s
      a(i,i)=f-g
      do 15 j=1,n
        s=0.0
        do 13 k=i,m
          s=s+a(k,i)*a(k,j)
13    continue
        f=s/h
        do 14 k=i,m
          a(k,j)=a(k,j)+f*a(k,i)
14    continue
15    continue
      do 16 k=i,m
        a(k,i)=scale*a(k,i)

```

```

16         continue
        endif
    endif
    w(i)=scale *g
    g=0.0
    s=0.0
    scale=0.0
    if((i.le.m).and.(i.ne.n))then
        do 17 k=1,n
            scale=scale+abs(a(i,k))
17         continue
        if(scale.ne.0.0)then
            do 18 k=1,n
                a(i,k)=a(i,k)/scale
                s=s+a(i,k)*a(i,k)
18         continue
            f=a(i,1)
            g=-sign(sqrt(s),f)
            h=f*g-s
            a(i,1)=f-g
            do 19 k=1,n
                rv1(k)=a(i,k)/h
19         continue
            do 23 j=1,m
                s=0.0
                do 21 k=1,n
                    s=s+a(j,k)*a(i,k)
21         continue
                do 22 k=1,n
                    a(j,k)=a(j,k)+s*rv1(k)
22         continue
23         continue
            do 24 k=1,n
                a(i,k)=scale*a(i,k)
24         continue
            endif
        endif
        anorm=max(anorm,(abs(w(i))+abs(rv1(i))))
25    continue
    do 32 i=n,1,-1
        if(i.lt.n)then
            if(g.ne.0.0)then
                do 26 j=1,n
                    v(j,i)=(a(i,j)/a(i,1))/g
26         continue
                do 29 j=1,n
                    s=0.0
                    do 27 k=1,n
                        s=s+a(i,k)*v(k,j)
27         continue
                    do 28 k=1,n
                        v(k,j)=v(k,j)+s*v(k,i)
28         continue
29         continue
            endif
            do 31 j=1,n
                v(i,j)=0.0
                v(j,i)=0.0
31         continue
        endif
    endif

```

```

v(i,i)=1.0
g=rv1(i)
l=i
32  continue
do 39 i=min(m,n),1,-1
    l=i+1
    g=w(i)
    do 33 j=1,n
        a(i,j)=0.0
33  continue
    if(g.ne.0.0)then
        g=1.0/g
        do 36 j=1,n
            s=0.0
            do 34 k=1,m
                s=s+a(k,i)*a(k,j)
34  continue
            f=(s/a(i,i))*g
            do 35 k=i,m
                a(k,j)=a(k,j)+f*a(k,i)
35  continue
36  continue
            do 37 j=i,m
                a(j,i)=a(j,i)*g
37  continue
        else
            do 38 j= i,m
                a(j,i)=0.0
38  continue
        endif
        a(i,i)=a(i,i)+1.0
39  continue
do 49 k=n,1,-1
    do 48 its=1,30
        do 41 l=k,1,-1
            nm=l-1
            if((abs(rv1(l))+anorm).eq.anorm) goto 2
            if((abs(w(nm))+anorm).eq.anorm) goto 1
41  continue
1  c=0.0
    s=1.0
    do 43 i=1,k
        f=s*rv1(i)
        rv1(i)=c*rv1(i)
        if((abs(f)+anorm).eq.anorm) goto 2
        g=w(i)
        h=pythag(f,g)
        w(i)=h
        h=1.0/h
        c= (g*h)
        s=-(f*h)
        do 42 j=1,m
            y=a(j,nm)
            z=a(j,i)
            a(j,nm)=(y*c)+(z*s)
            a(j,i)=-(y*s)+(z*c)
42  continue
43  continue
2  z=w(k)
    if(l.eq.k)then

```

```

    if(z.lt.0.0)then
      w(k)=-z
      do 44 j=1,n
        v(j,k)=-v(j,k)
44      continue
      endif
      goto 3
    endif
    if(its.eq.30) pause 'no convergence in svdcmp'
    x=w(1)
    nm=k-1
    y=w(nm)
    g=rv1(nm)
    h=rv1(k)
    f=((y-z)*(y+z)+(g-h)*(g+h))/(2.0*h*y)
    g=pythag(f,1.0)
    f=((x-z)*(x+z)+h*((y/(f+sign(g,f)))-h))/x
    c=1.0
    s=1.0
    do 47 j=1,nm
      i=j+1
      g=rv1(i)
      y=w(i)
      h=s*g
      g=c*g
      z=pythag(f,h)
      rv1(j)=z
      c=f/z
      s=h/z
      f= (x*c)+(g*s)
      g=-(x*s)+(g*c)
      h=y*s
      y=y*c
    do 45 jj=1,n
      x=v(jj,j)
      z=v(jj,i)
      v(jj,j)= (x*c)+(z*s)
      v(jj,i)=- (x*s)+(z*c)
45    continue
      z=pythag(f,h)
      w(j)=z
      if(z.ne.0.0)then
        z=1.0/z
        c=f*z
        s=h*z
      endif
      f= (c*g)+(s*y)
      x=-(s*g)+(c*y)
    do 46 jj=1,m
      y=a(jj,j)
      z=a(jj,i)
      a(jj,j)= (y*c)+(z*s)
      a(jj,i)=- (y*s)+(z*c)
46    continue
47    continue
      rv1(1)=0.0
      rv1(k)=f
      w(k)=x
48    continue
3    continue

```

```

49  continue
    return
    END

FUNCTION pythag(a,b)
REAL a,b,pythag
REAL absa,absb
absa=abs(a)
absb=abs(b)
if(absa.gt.absb)then
  pythag=absa*sqrt(1.+(absb/absa)**2)
else
  if(absb.eq.0.)then
    pythag=0.
  else
    pythag=absb*sqrt(1.+(absa/absb)**2)
  endif
endif
return
END

SUBROUTINE INDEXX(N,ARRIN,INDX)
DIMENSION ARRIN(N),INDX(N)
DO 11 J=1,N
  INDX(J)=J
11  CONTINUE
IF(N.EQ.1)RETURN
L=N/2+1
IR=N
10  CONTINUE
  IF(L.GT.1)THEN
    L=L-1
    INDXT=INDX(L)
    Q=ARRIN(INDXT)
  ELSE
    INDXT=INDX(IR)
    Q=ARRIN(INDXT)
    INDX(IR)=INDX(1)
    IR=IR-1
    IF(IR.EQ.1)THEN
      INDX(1)=INDXT
      RETURN
    ENDIF
  ENDIF
  I=L
  J=L+L
20  IF(J.LE.IR)THEN
    IF(J.LT.IR)THEN
      IF(ARRIN(INDX(J)).LT.ARRIN(INDX(J+1)))J=J+1
    ENDIF
    IF(Q.LT.ARRIN(INDX(J)))THEN
      INDX(I)=INDX(J)
      I=J
      J=J+J
    ELSE
      J=IR+1
    ENDIF
  GO TO 20
ENDIF

```

```
      INDX(I)=INDXT  
GO TO 10  
END
```